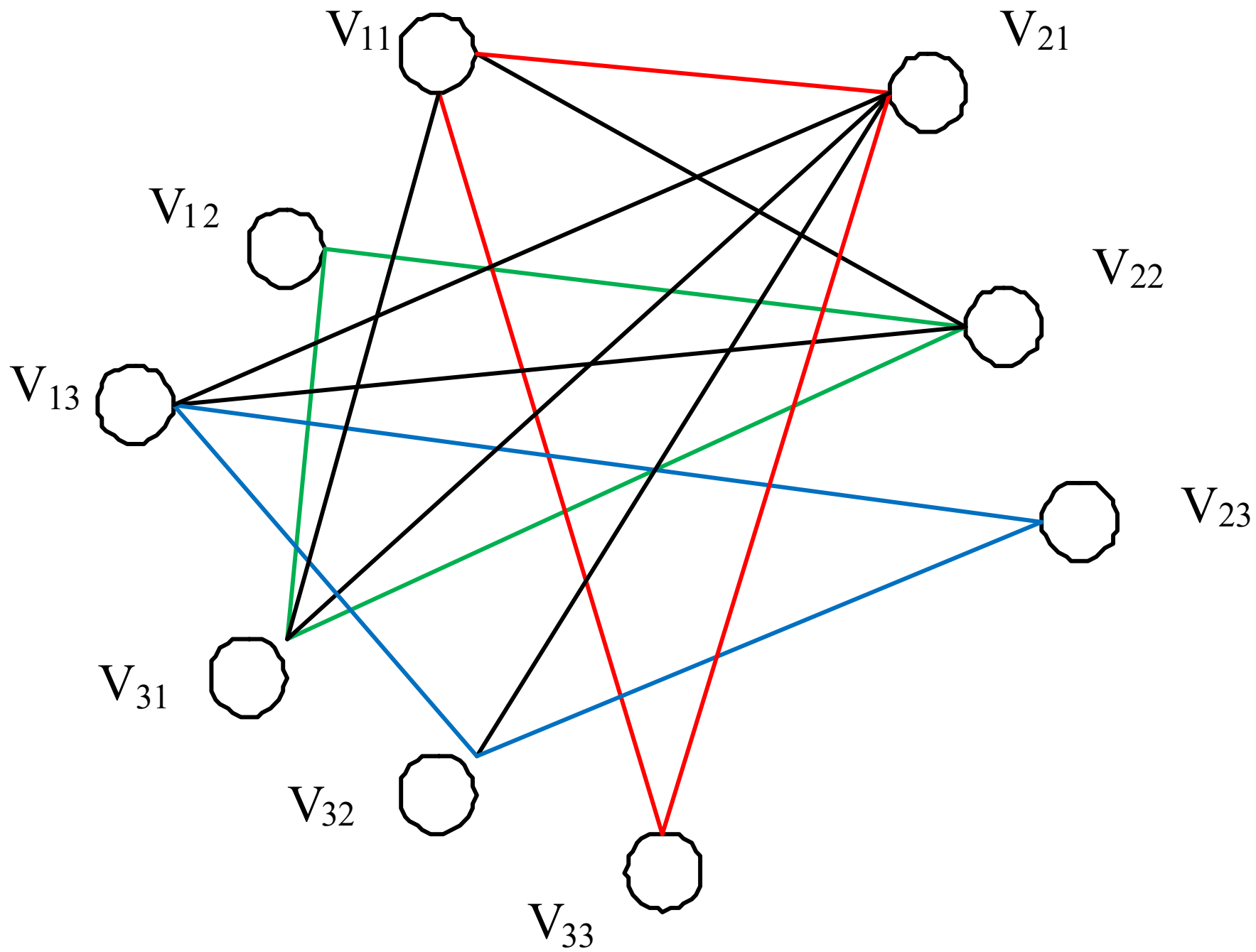
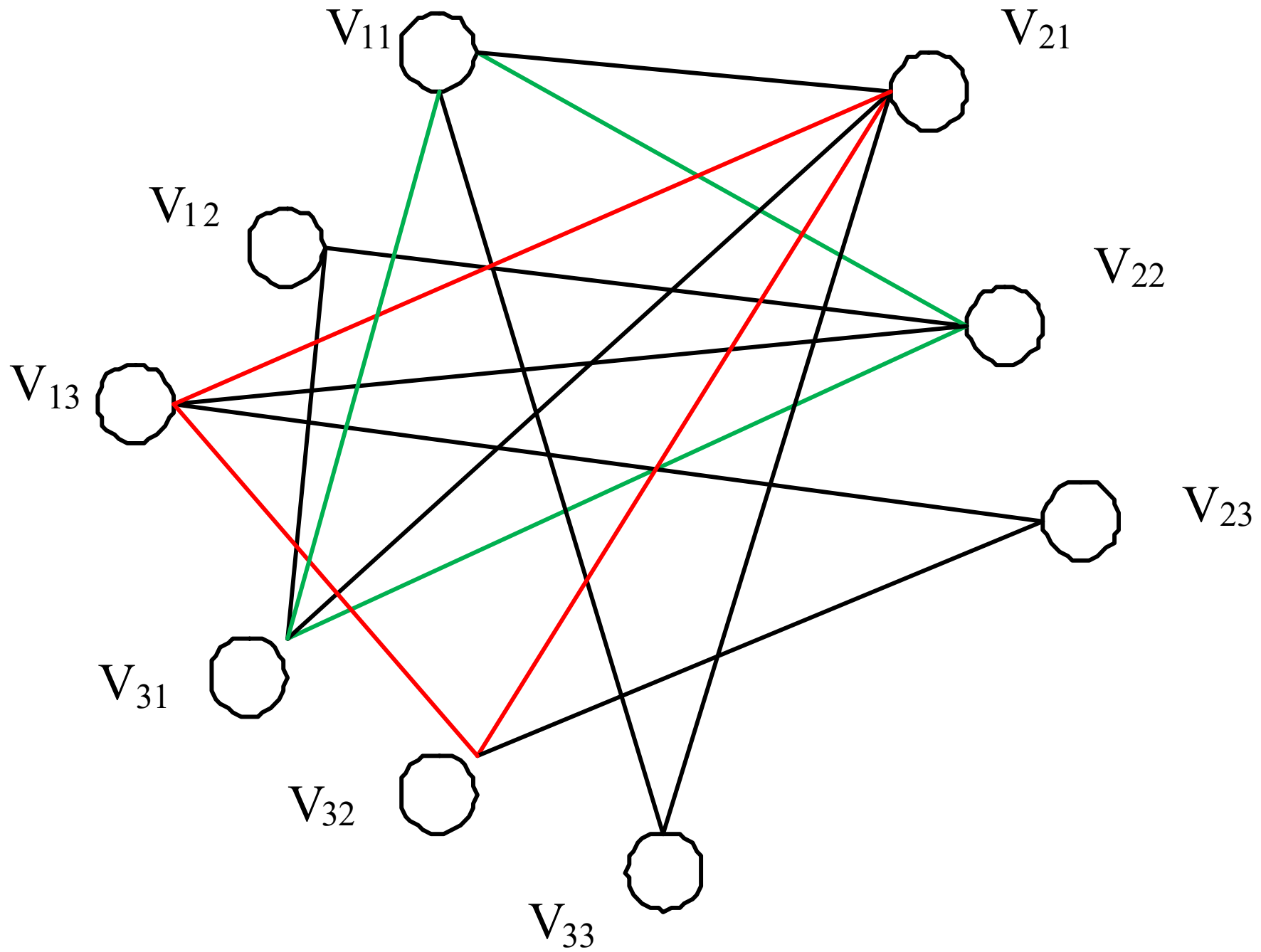


**AN ANT ALGORITHM FOR  
THE MAXIMUM NUMBER OF 3-CLIQUES  
IN 3-PARTITE GRAPHS**

**Krzysztof Schiff**





## Algorithm 1. The General Ant Algorithm.

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```
for all  $i \in M$ :  $t(i) = t_{\max}$ 
for all cycles
  for all ants
    make a start point
    while (a solution  $S$  is not completed ) do
      check which elements are available to be selected, put them
      into the set  $A$ 
      select a next element from the set  $A$  with probability  $p(j)$ 
      add a selected element to the  $S$ 
      save in the  $S_b$  a best solution, which has been found by all ants in
      a cycle
      if  $S_b$  is better than  $S_{\text{best}}$  then save the  $S_b$  as the  $S_{\text{best}}$  :  $S_{\text{best}} = S_b$ 
      for all  $i$ :  $t(i) = t(i) + r * t$ 
       $dt = f(S_b)$ 
      if  $i \in S_b$  then  $t[i] = t(i) + dt$ 
return  $S_{\text{best}}$ 
```

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$$p(j) = \tau_j n_j / \sum_j (\tau_j n_j)$$

$$n_j = 1/lz_j$$

$lz_j$  – liczba klik 3-wierzchołkowych,  
do których wierzchołek  $j$  przynależy

Table 5.1 Averages number of cliques for different n, r=0.998, lc=20, lm=30, q=0.05.

n	50	100	150	200	250
ACO1	10,4	52,4	109,7	166,1	222,1
ACO2	10,4	52,9	114,0	172,6	227,1

Figure 5.1 Averages number of cliques for different n, r=0.998, lc=20, lm=30, q=0.05.

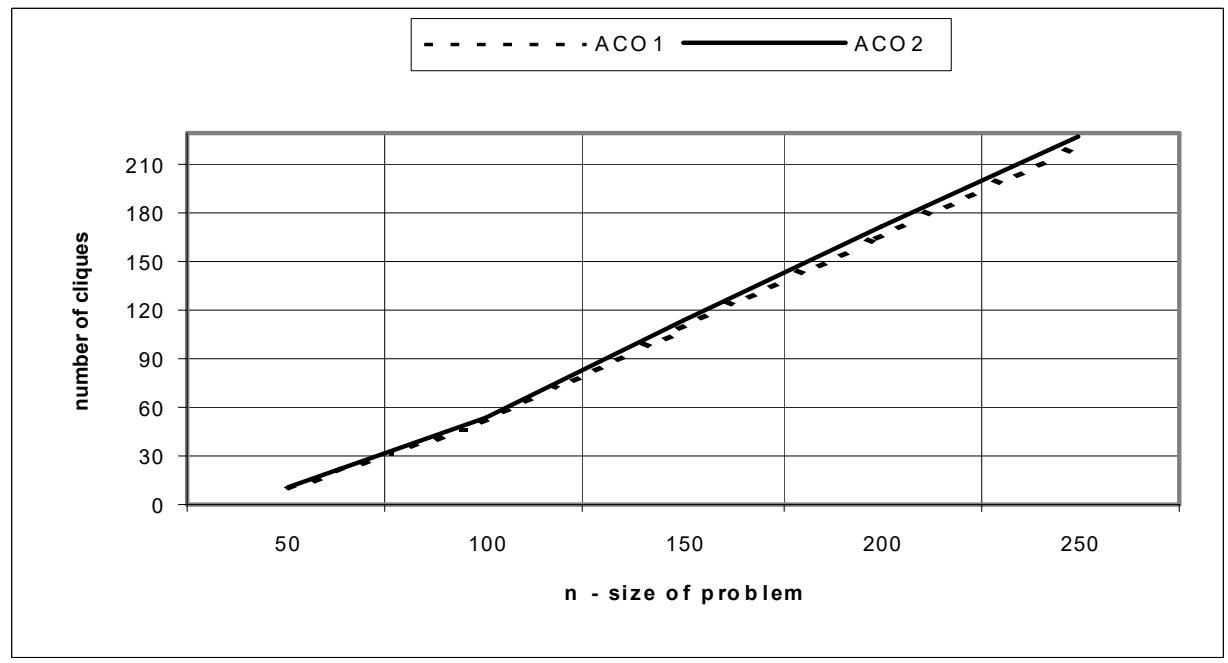
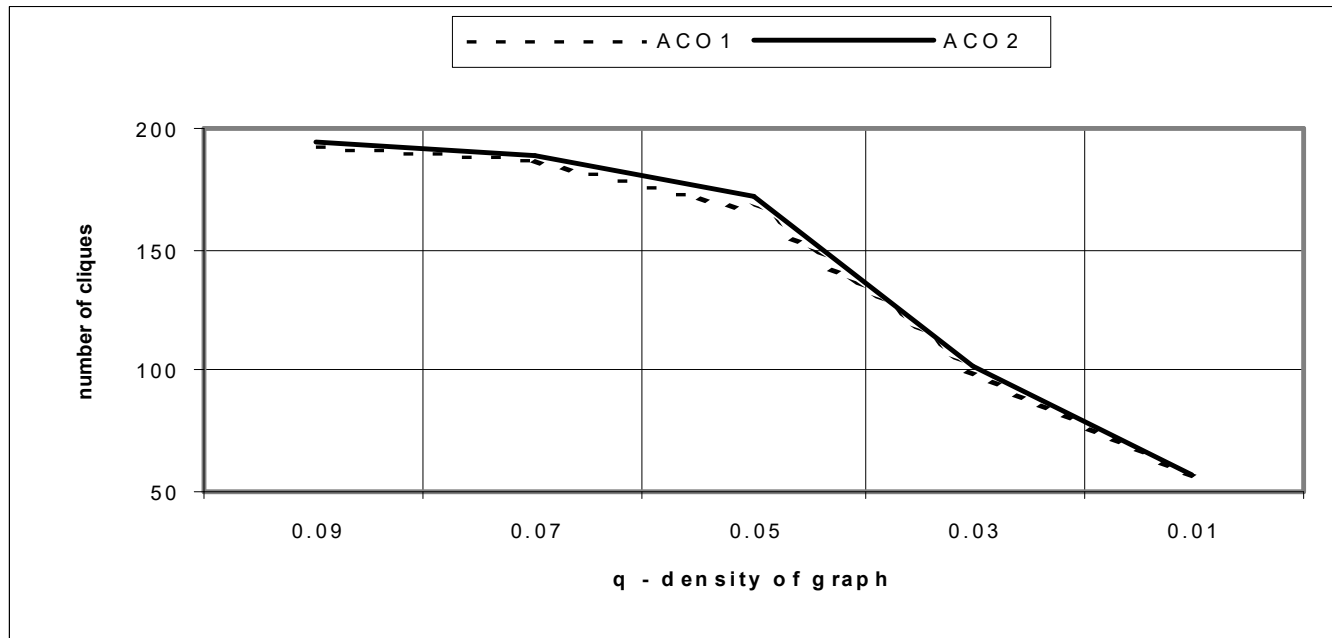


Table 5.3 Averages number of cliques for different  $q$ ,  $r=0.998$ ,  $n=200$ ,  $l_c=20$ ,  $l_m=30$ .

$q$	0.09	0.07	0.05	0.03	0.01
ACO1	193,2	187,0	166,1	100,0	57,0
ACO2	193,8	189,0	172,6	101,6	57,0

Figure 5.3 Difference in size for different  $l_m$  and for  $n=250$ ,  $l_c=200$ ,  $r=0.997$ .



DZIĘKUJĘ ZA UWAGĘ